Optical Readout Time Projection Chamber (O-TPC) New Technology for Studies in Nuclear Astrophysics

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- 1. The Problem: C/O ratio in Helium Burning (Who cares? the shattered hopes/illusions)
- 2. The Solution: O-TPC (Who will do it? and where?)

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The Laboratory for Nuclear Science At Avery Point





Fig. 1. The current classification scheme of supernovae. Type Ia SNe are associated with the thermonuclear explosion of accreting white dwarfs. Other SN types are associated with the core collapse of massive stars. Some type Ib/c and IIn SNe with explosion energies $E > 10^{52}$ erg are often called hypernovae.



CENTRAL DENSITY (gm/cc)

"Normal" main-sequence companion

Rotation

Mass-transfer stream

White dwarf

(a)

Accretion disk

Alexander Park Street Street and

"Hot

spot"

Lagrange point

> Roche lobe of companion

Barely Existing Things/ Jewan Kim, 1993



그림 3 손님별(초신성)을 발견한 선조조의 왕조실록의 기록.

객성을 발견한 당시의 생생한 기록이 있다. 즉 〈夜有一更客星在尾 宿十度去極一百一十度形體小於歲星色黃赤動搖五更有霧〉(초저녁 손 님별이 미수 IO도 거극 I백IO도 자리에 있었는데 목성보다 작고 적황색 빛깔로 흔들리고 있었으며 이른 새벽녘에는 안개가 끼었다)로 적고 있 다. 『조선왕조실록』은 그뒤 약 I년 동안 객성의 관측을 상세히 기

별은 죽어 별을 남긴다 25

夜有一更	10 pm et night
名星	Guest star
在层宿+度	10 dag in the ophinches
玄極丙十度.	110 dy i de Latitude
形体小彩藏笔	dimmen then Jupitan
色黄东南北	Yellowich red and shaking
2更不震	4 cm there was mist



그림 3

Explosion of a White Dwarfs (Defl., Delayed Det. & Merger)



Deflagration: Energy transport by heat conduction over the front, v <<v(sound)=> ignition of unburned fuel (C/O)
Detonation: ignition of unburned fuel by compression, v = v(sound)
Rem1: Pre-expansion depends on the amount of burning. The rate of burning hardly changes the final structure for DD-models (Dominguez et al. ApJ 528, 590)

Rem.2: HeDs (sub-MCh)



- disagree with LCs and spectra (Nugent et al. 96, Hoeflich et al. 96)



Kim, et al. (1997)



Peter Hoeflich (2002)

INFLUENCE ON LIGHT CURVES (0-60 Days)

DD21c: C/O=1/1; Z=0.02 (solar)

DD23c: C/O=2/3; Z=0.02 (solar)

DD24c: C/O=1/1; Z=0.0067 (solar/3)

Bolometric Light Curves



C/O Ratio of the WD

- Maxima \approx 2-3 days later (i.g. 1-5 days)

- Peak to 'Tail' ratio changes by $\approx 0.3^m$ Metalicity Z - negligible

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OFF SET in M(dM15) dM(V) \simeq 0.1 dt(rise)
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The chlorine detector must be maintained in low-level operation until the chlorine and gallium detectors can be operated at full level simultaneously. Otherwise endless conjecture concerning time variations in the solar neutrino flux will ensue. Moreover, the results of the gallium observations may uncover information that has been overlooked in the past chlorine observations.

The CNO cycle operates at the higher temperatures which occur during hydrogen burning in main sequence stars somewhat more massive than the sun. This is the case because the CNO cycle reaction rates rise more rapidly with temperature than do those of the pp chain. The cycle is important because ${}^{13}C$, ${}^{14}N$, ${}^{15}N$, ${}^{17}O$, and ${}^{18}O$ are produced from ${}^{12}C$ and ${}^{16}O$ as seeds. The role of these nuclei as sources of neutrons during helium burning is discussed in Sec. V.

V. THE SYNTHESIS OF ¹²C AND ¹⁶O AND NEUTRON PRODUCTION IN HELIUM BURNING

The human body is 65% oxygen by mass and 18% carbon, with the remainder mostly hydrogen. Oxygen (0.85%) and carbon (0.39%) are the most abundant elements heavier than helium in the sun and similar main se-

quence stars. It is little wonder that the determination of the ratio ${}^{12}C/{}^{16}O$ produced in helium burning is a problem of paramount importance in Nuclear Astrophysics. This ratio depends in a fairly complicated manner on the density, temperature, and duration of helium burning, but it depends directly on the relative rates of the $3\alpha \rightarrow {}^{12}C$ process and the ${}^{12}C(\alpha,\gamma) {}^{16}O$ process. If $3\alpha \rightarrow {}^{12}C$ is much faster than ${}^{12}C(\alpha,\gamma) {}^{16}O$, then no ${}^{16}O$ is produced in helium burning. If the reverse is true, then no ${}^{12}C$ is produced. For the most part the subsequent reaction ${}^{16}O(\alpha,\gamma) {}^{20}Ne$ is slow enough to be neglected.

There is general agreement about the rate of the $3\alpha \rightarrow {}^{12}\text{C}$ process, as reviewed by Barnes (1982). However there is a lively controversy at the present time about the laboratory cross section for ${}^{12}\text{C}(\alpha,\gamma)$ ${}^{16}\text{O}$ and about its theoretical extrapolation to the low energies at which the reaction effectively operates. The situation is depicted in Figs. 4, 5, and 6, taken with some modification from Langanke and Koonin (1983), Dyer and Barnes (1974), and Kettner *et al.* (1982). The Caltech data obtained in the Kellogg Laboratory is shown as the experimental points in Fig. 4, taken from Dyer and Barnes (1974), who compared their results with theoretical calculations by Koonin, Tombrello, and Fox (1974). The Münster data are shown as the experimental points in Fig. 5, taken from

Helium Burning:

 $3\alpha \rightarrow 12C \text{ Known}$ $\alpha + 12C \rightarrow 160$??? C/O = ?

 $12C(\alpha, \gamma)16O (E_{cm} = 300 \text{ keV})$

 $\sigma(\alpha, \gamma) = S/E \times e^{-2\pi \eta}$ $(\eta = e^{2Z_1Z_2/\hbar \upsilon} = Z_1Z_2\alpha/\beta)$

Astrophysical Cross Section Factor (P and D waves)



Notre Dame - 2002

ratios of the excitation function for $\theta_{lab} = 84.0^{\circ}$ relative to the one at $\theta_{lab} = 58.9^{\circ}$ and a fit to this function.

The best fit for the reduced width amplitude of the 2^+ subthreshold state occurred for $\gamma_{12} = 0.47 \text{ MeV}^{1/2}$, with $\gamma_{11} = 0.27 \text{ MeV}^{1/2}$ for the subthreshold 1⁻ state for the single channel program. Identical results were obtained in the multichannel program (both a = 5.5 fm). To obtain an error estimation, fits were obtained for values of γ_{12} from 0.2 to 0.60 MeV^{1/2}, with all other parameters being allowed to vary. The resulting χ^2 curve is shown in Fig. 2(a). The same approach was used to scan γ_{11} from 0 to 0.60 MeV^{1/2} for the 1⁻ state. A 1σ uncertainty of $\gamma_{12} = 0.47 \pm 0.06$ MeV^{1/2}, and $\gamma_{11} =$ $0.27^{+0.11}_{-0.27}$ MeV^{1/2} was calculated with the previously established [2] guideline $\chi^2 < \chi^2_{\min} \pm 9\chi^2_{\nu}$. A list of the best fit parameters is presented in Table I. The best fit has a χ^2_{μ} of approximately 1.66. Deviations from an ideal fit occur at resonances with widths in the keV range where the sensitivity to target effects and beam energy calibration is

from ${}^{12}C(\alpha, \gamma){}^{16}O$ and ${}^{16}N$ data [2]. This analysis leads to a value of $S_{F1}(300) = 80 \pm 20$ keV b, and $S_{F2}(300) =$ 49^{+7}_{-9} or 58^{+8}_{-11} keV b, depending on the sign of the E =4.39 MeV 2^+ resonance γ width amplitude relative to that for direct capture and the subthreshold resonance. As this interference sign is unknown, the two results are averaged and errors include the limits on both measurements, yielding $S_{F2}(300) = 53 \pm 13$ keV b. With the full range of a allowed here, the final result is $S_{E2}(300) = 53^{+13}_{-18}$ keV b. In this analysis destructive interference between the ground state direct capture and the tail of the subthreshold 2^+ resonance has been employed. This is justified by a total decrease in χ^2 of nearly 300 between the destructive and constructive options, largely due to the γ -angular distributions of Refs. [5] and [7]. However, additional angular distributions would be desirable, as the constructive option leads to 92 and 102 keV b, respectively, for $S_{E2}(300)$. The data set of Ref. [25] is unfortunately not available to the authors.



Enhancement: (I) W⁵₀ (II) Matrix Elements

 $\frac{0.00}{^{16}O}0^+$

¹²C(α, γ)¹⁶O: $\sigma = \sigma_{E1} + \sigma_{E2}$ ¹⁶N(β)¹⁶O^{*}: $\sigma = \sigma_{E1} + \sigma_{E3}$ β Selection Rules: $\Delta J = 0, 1$ $\Delta \pi = +$

 $2^{-} \rightarrow 1^{-}$ or 3^{-}



TRIUMF(94): $S_{E1}(300) = 81 \pm 21$ keV-b



Counts/MeV

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The E1 capture amplitude in ${}^{12}C(\alpha, \gamma_0){}^{16}O$

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Abstract. An excitation function of the ground-state γ_0 -ray capture transition in ${}^{12}C(\alpha, \gamma){}^{16}O$ at $\theta_{\gamma} = 90^{\circ}$ was obtained in far geometry using six Ge detectors, where the study of the reaction was initiated in inverse kinematics involving a windowless gas target. The detectors observed predominantly the E1capture amplitude. The data at E = 1.32 to 2.99 MeV lead to an extrapolated astrophysical S factor $S_{E1}(E_0) = 90 \pm 15$ keV b at $E_0 = 0.3$ MeV (for the case of constructive interference between the two lowest E1 sources), in good agreement with previous works. However, a novel Monte Carlo approach in the data extrapolation reveals systematic differences between the various data sets such that a combined analysis of all available data sets could produce a biased estimate of the $S_{E1}(E_0) = 8 \pm 3$ keV b cannot be ruled out rigorously.

PACS. 24.10.-i Nuclear-reaction models and methods – 25.40.-h Nucleon-induced reactions







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$\frac{\text{UConn - HI}\gamma\text{S}/\text{Duke - Weizmann}}{\text{PTB - UHartford - GCSU - LLN Collaboration}}$

Optical Readout Time Projection Chamber (TPC)

$$^{16}\mathrm{O} + \gamma \to \alpha + {}^{12}C$$

$$E_{\gamma} = 8.0 - 10.0 \text{ MeV}$$

$$\sigma(\gamma, \alpha) = \frac{(2S_1+1)(2S_2+1)}{2(2S_4+1)} \times \frac{k_{\alpha}^2}{k_{\gamma}^2} \times \sigma(\alpha, \gamma)$$
$$= \frac{1}{2} \times \frac{k_{\alpha}^2}{k_{\gamma}^2} \times \sigma(\alpha, \gamma)$$
$$= \frac{1}{2} \times (80 - 160) \times \sigma(\alpha, \gamma)$$
$$= (80 - 160) \times \sigma(\alpha, \gamma)$$

Optical Readout TPC

Gas Electron Multiplier (GEM)

F. Sauli NIM A 433 (1997) 531

Photo of a GEM

Electric field in the holes >20kV/cm

Electron Microscope view of a GEM

YALE NOV. 04

Typical parameters:

- 50µm Kapton
- metal coated
- Ø50-70 μ m holes
- 100-200µm pitch
- 80% opacity

A. Breskin

Ready

NUM

TOF (0.05 ns/ch)

1. The Problem: C/O ratio in Helium Burning (Who cares? the shattered hopes/illusions)

> We Have a Major Problem It is Not Solved After 30 Years The Physics Community Cares

2. The Solution: O-TPC (Who will do it? and where?)

> HIγS + O-TPC UConn-Weizmann-PTB-Duke